

HIGH SIDE VOLTAGE CONTROLLER TO IMPROVE PERFORMANCE AND VOLTAGE STABILITY OF A POWER SYSTEM

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Abstract:-

This paper describes a high side voltage controller (HSVC) design, implementation and performance study for a synchronous generating unit connected to an infinite bus power system via a transformer and a double-circuit transmission line. In addition to enhance the system performance, the HSVC can improve power system voltage stability by adding supplemental control to conventional generator excitation system. The simulation results using detailed non-linear model for the system with: a conventional automatic voltage regulator (AVR), power system stabilizer (PSS), and applying HSVC, are obtained. These results illustrate the superiority of HSVC to enhance the system performance as well as its voltage stability when subjected to different disturbances.

هذا البحث يقدم تصميم وتطبيق ودراسة اداء حاكم يوضع في جانب الجهد العالي (HSVC) لمحول يربط مولد متزامن مع شبكة لانهائية خلال خط نقل مزدوج. ويتم اضافة الحاكم المقترح الي الحاكومات التقليدية في دائرة التغذية الكهربائية (AVR & PSS). وباستخدام نموذج غير خطي تفصيلي للنظام ودراسة الأداء واتزان الجهد فانه يتبين افضليه اضافة حاكم جانب الجهد العالي في تحسين أداء النظام ومدى اتزان الجهد عندما يتعرض النظام لاضطرابات مختلفة.

Key-words: - Synchronous generator, HSVC, AVR, PSS, Voltage stability, Voltage Droop Rate

1 Introduction

The electric power system is complex in nature. This renders the system to operate with generator poor performance and with a lower margin of stability when subjected to a disturbance [1].

The austerity of the sudden disturbance affects directly the power system generator variables such as: rotor speed which directly affects the system frequency and rotor angle which directly affects the transferred power. Following to large disturbance, the system behavior may loss synchronism, cause falling out generating units and produce voltage collapse.

To improve the power system performance and to extend its operational margin of stability during the steady-state and transient conditions the power system is equipped with different control systems [2].

The excitation control is the common control strategies. The excitation control is performed firstly by using automatic voltage regulator (AVR), which is a high gain placed in excitation system employing a feed-back control signal from the terminal voltage to maintain the terminal voltage fixed within tolerance of $\pm 0.5\%$ from a reference value [2]. The power system stabilizer (PSS) is introduced to provide the system with positive damping during normal and abnormal conditions [3, 4]. Power system angle and voltage stability is improved by

tight regulation of transmission voltage. For transient (short-term) angle or voltage stability, high-speed control is required [5].

HSVC has been developed with no requirement for any direct feedback signal from the high voltage side of a step-up transformer. This can be easily realized by using only the signals provided for the conventional automatic voltage regulator (AVR), i.e., the generator voltage from the voltage transformer VT, and the generator current from the current transformer CT [6]. The sending end (source) transmission voltages can be kept high at all power plants by the HSVC proposed here. The receiving end (load) voltage profiles could be maintained by switched capacitor banks and power-electronic-based Var sources where necessary. The HSVC improve system performance, voltage stability and transmit much power at the same voltage.

This paper describes the design and implementation of a HSVC which controls the high side voltage of the generator step-up transformer. The simulation results for the system when applying HSVC in comparison with a conventional automatic voltage regulator (AVR) and power system stabilizer (PSS) are obtained. These results illustrate that, using HSVC the system performance and its voltage stability are enhanced effectively when subjected to different disturbances.

2 System Descriptions

In this study, the power system model defined by a conventional synchronous generator connected to a large power system via a transformer and a double-circuit transmission line, is shown in Fig. (1). A description of the individual elements of the system is given subsequently and the parameters are shown in the Appendix.

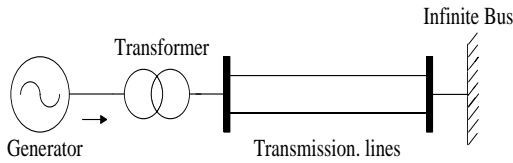


Fig. 1. Schematic diagram of a turbogenerator system

2.1 Generator

Based on park's d-q axes, a seventh-order nonlinear mathematical model representation is established. The differential equations are arranged as a set of first order equations as following [7]:

I-Mechanical equations:

$$p\delta = \omega \tag{1}$$

$$p\omega = \frac{\omega_0}{2H} (T_m - T_e) \tag{2}$$

$$T_e = \Psi_d i_q - \Psi_q i_d \tag{3}$$

II-Field circuit representation:

$$p\Psi_f = \omega_0 (E_{fd} \frac{R_f}{X_{fd}} - i_f R_f) \tag{4}$$

III-Stator representation:

$$p\Psi_d = \omega_0 (V_d + i_d R_a + \Psi_q) + \omega \Psi_q \tag{5}$$

$$p\Psi_q = \omega_0 (V_q + i_q R_a - \Psi_d) - \omega \Psi_d \tag{6}$$

IV-Damper windings representation:

$$p\Psi_D = -\omega_0 i_D R_D \tag{7}$$

$$p\Psi_Q = -\omega_0 i_Q R_Q \tag{8}$$

The currents are obtained as a function of flux linkages.

V-Terminal voltage:

$$V_t = \sqrt{V_d^2 + V_q^2} \tag{9}$$

VI-Terminal power:

$$P_t = V_d i_d + V_q i_q \tag{10}$$

2.2 Transformer and transmission line

Lumped series inductance and resistance are used to represent the transformer and the transmission line connecting the generator to the grid. In a similar manner to that described for the generator, the transmission system components are solved in the generator d-q axes as follows:

$$V_d = V_b \sin \delta + r_e i_d - X_e i_q \tag{11}$$

$$V_q = V_b \cos \delta + r_e i_q - X_e i_d \tag{12}$$

2.3 Excitation system

Various types of exciters have been used with different ceiling voltages. However, we use thyristor exciter, which provide very fast control, facilities rapid and continuous control of the exciter-field current to keep the terminal voltage constant because of its small time constant [8]. A high gain automatic voltage regulator (AVR) is used to control generator terminal voltage. The block diagram of the excitation system is shown in Fig. (2) [7]. Analysis of modern voltage regulators shows that under heavy load conditions the continuously acting of excitation systems introduces negative damping. To offset this effect and to improve the system damping in general, a power system stabilizer (PSS) is added with each excitation system to produce positive damping torques in phase with the speed [9, 10]. The transfer function of the PSS is shown by broken line in Fig. (2). PSS is a lead lag compensator with gain G_s and two time constants T_1 and T_2 .

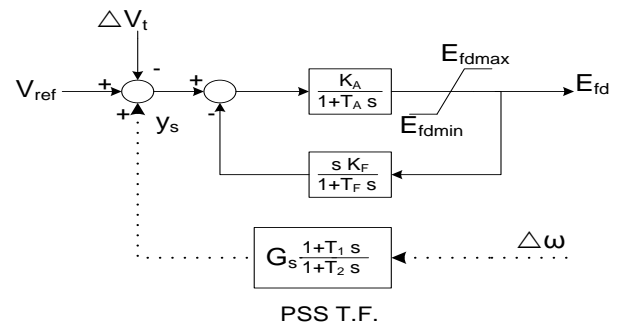


Fig. 2. Excitation system

2.4 Turbine and Governor System

The turbine and governor system is shown in Fig. (3). It represents a simple steam turbine model with a single gain, K_t , and time-constant, T_t [11]. The speed governor is also considered with single gain K_g and single time-constant T_g .

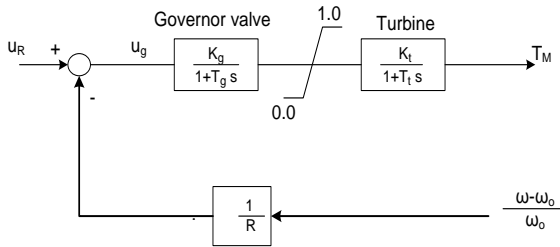


Fig. 3. Representation of turbine and governor system

3 High Side Voltage Controller

The configuration of the HSVC is shown in Fig. (4).

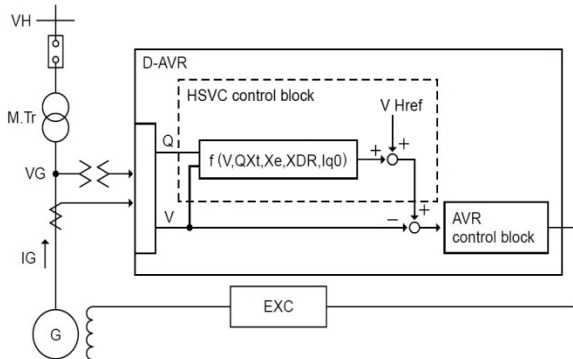


Fig. (4). Construction of HSVC control system

From Fig. (4), the HSVC compensates the drop in the transformer which takes signals from terminal voltage and terminal current. So, the new generator reference V_{gref} will be the addition of the output of HSVC and V_{Href} which compares with terminal voltage [6].

When the V_g is controlled by the advanced HSVC, the V_g may be generally maintained higher than its rated voltage in order to keep the V_H to a constant value. On the other hand, the continuous allowable V_g is generally up to 5% of the rated voltage. If the V_g is near this maximum voltage in a steady state condition, the improving effect of the voltage

stability by the advanced HSVC is reduced by this limitation. However, the voltage droop rate changes according to the variation of the voltage ratio and the reactance of the step-up transformer (X_t).

The relationship between the low side voltage V_g and the high side voltage V_H of the step-up transformer is represented as:

$$\overline{V_g} = \overline{V_H} + X_t * \overline{I_g} \tag{13}$$

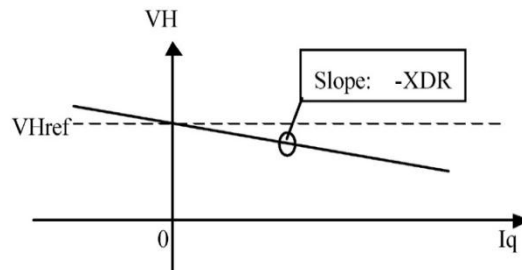
where $\overline{I_g} = P_g/V_g - jQ_g/V_g$, with the resistance of the step-up transformer is small and neglected. Assuming nominal turns ratio the high side voltage can be controlled to the target value V_{Href} by controlling the generator voltage according to Eqn. (13), that is (voltage drop being completely compensated via X_t). However, generator current and reactive power will be imbalanced with multiple generators controlling the same voltage.

Also, the high side voltage is controlled according to Eqn. (14), which contains a voltage droop characteristics. These characteristics can be expressed as shown in Fig. (5).

$$V_H = V_{Href} - XDR * i_q \tag{14}$$

Where, $i_q = Q_g/V_g$.

Putting Eqn. (14) and Fig. (5) into words, for a target of V_{Href} , V_H can be controlled with a slope reactance of XDR .



The active power P_g and the reactive power Q_g of the generator shown in Fig. (1) can be respectively represented by Eqns. (15) and (16) using the low side voltage V_g , the high side voltage V_H and the step-up transformer reactance X_t .

$$P_g = \frac{V_g V_H}{X_t} \sin \delta \tag{15}$$

$$Q_g = \frac{V_g^2 - V_g V_H \cos \delta}{X_t} \tag{16}$$

Therefore, the relation between the low side voltage V_g and the high side voltage V_H can be derived from Eqn. (16) as:

$$V_H = \frac{V_g^2 - X_t Q_g}{V_g \cos \delta} \quad (17)$$

Neglecting the effect of the angle, Eqn. (17) can be approximated as shown in Eqn. (18).

$$V_H = V_g - \frac{X_t Q_g}{V_g} \quad (18)$$

The reference terminal voltage V_{gref} which wanted to be controlled can be calculated corresponding to the target high side voltage V_{Href} for the original HSVC as:

$$V_{gref} = V_{Href} + (X_t - XDR) i_q \quad (19)$$

where $i_q = Q_g/V_g$, and XDR is the droop.

The primary improvement in the HSVC is the inclusion of the "real" component of i_g . (Note that the resistance of the step-up transformer is still omitted) Thus, the vector diagram that represents the relation of V_g and V_H with V_g being the basis of angle is shown in Fig. (6).

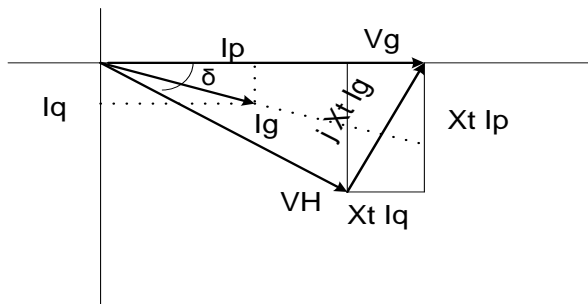


Fig. (6). Vector diagram of V_g and V_H .

From this figure, the relation of V_H and V_g can be represented as:

$$V_H = \sqrt{(V_g - X_t i_q)^2 + (X_t i_p)^2} \quad (20)$$

where $i_p = P_g/V_g$ and $i_q = Q_g/V_g$,

$$V_g = V_g$$

$$\underline{V_H} = V_H(\cos \delta + j \sin \delta).$$

4 Simulation Results

To achieve a higher level of accuracy in the predicted results and draw a general conclusion from the results, detailed representation were made for all system components. The transient performance of the simulated non-linear system with the conventional excitation control (AVR and PSS) and when the new controller (HSVC) to the system added were examined for a symmetrical three-phase

short circuit (120 ms duration) at the transformer high voltage side.

Initially, the simulation results are obtained in comparative form using Voltage Droop Rate (XDR) with different values as shown in Figs.(7) and (8) taking the effect of AVR with HSVC and the effect of AVR and PSS with HSVC.

These results illustrate that the best performance of the system obtained with the droop 0.04 (4%) as it provide good damping to electromechanical mode of oscillations and all system variables quickly return to their initial values.

Representing the HSVC Regulator according to Eqn. (19) and taking the voltage droop rate $XDR=4\%$. The simulation results are obtained in comparative form for the power system when equipped with conventional excitation controls (AVR and PSS) only and when the new controller (HSVC) added. Figs. (9) through (10), shows the results when the system subjected to a symmetrical three-phase short circuit for 120 ms duration.

These results illustrate generally that using the HSVC with conventional excitation controls enhance the system performance in terms of damping increase and all system variables were quickly returned to their nominal values.

5 Improvement of Voltage Stability

Voltage control and stability problems are not new to the electric utility industry but are now receiving special attention in many systems. Voltage problems are now a source of concern in highly developed networks as a result of heavier loadings.

Voltage stability is concerned with the ability of the power system to maintain acceptable voltages at all buses in the system under normal conditions and after being subjected to disturbances.

To study the voltage stability phenomena the V-P characteristics is drawn as shown in Fig. (11).

6 Conclusions

This paper presented the design and implementation of HSVC to enhance the power system performance as well as its voltage stability. The proposed controller was validated via detailed model non-linear simulation. Simulation results for the system were obtained when equipped with the proposed HSVC in comparison with others obtained for the system with conventional excitation control.

The simulation results demonstrate clearly that HSVC can improve both system performance (in

terms of damping increase and fast return of all system variables to their initial values) and voltage stability margin.

7 List of Symbols

- p The derivative operator 'd/dt'
- ω_0 Angular frequency of the infinite bus
- ω Angular speed deviation of the rotor
- Ψ_d, Ψ_q Stator flux linkages in d- and q- axis circuits
- V_d, V_q Stator terminal voltage in d- and q-axis circuits
- i_d, i_q Stator currents in d- and q- axis circuits
- R_a Stator resistance
- R_f, i_f Field circuit resistance and current
- X_e, r_e Combined reactance and resistance of transformer and transmission lines
- δ Rotor angle
- T_m Input mechanical torque
- T_e Output electrical torque
- R speed regulation due to governor action

Appendix:

1) MACHINE PARAMETERS (P.U):

H=3.25	$X_d=2.0$
$X_{ad} = 1.86$	$X_q=1.91$
$X_{aq} = 1.77$	$X_{KQ}=1.96$
$X_{fd} = 1.97$	$X_{KD}=1.94$
$R_{KQ} = 0.0084$	$R_{KD} = 0.0078$
$r_d = 0.005$	$T_e = 0.5$
$r_f = 0.0015$	R=0.04 P.U.HZ/MW

2) TRANSMISSION SYSTEM:

$X_T = 0.1$ P.U.	$R_T = 0.038$ P.U.
$X_L = 0.35$ P.U.	$R_L = 0.025$ P.U.

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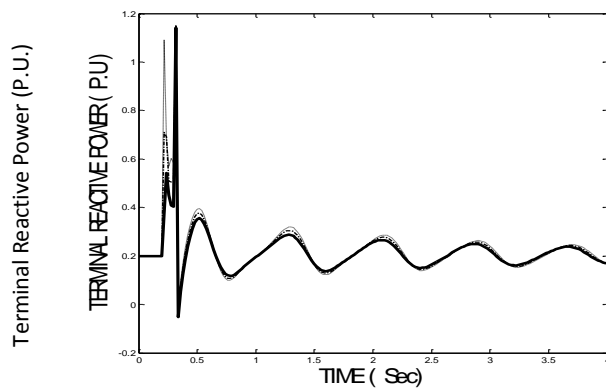
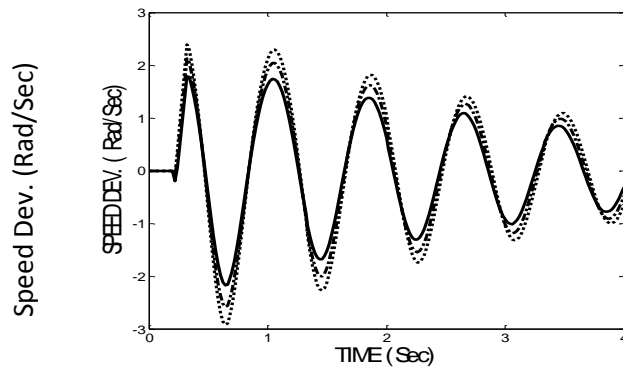
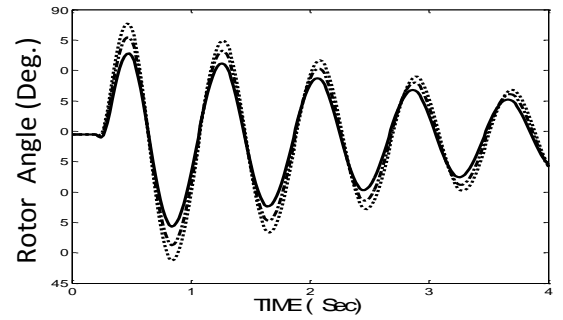
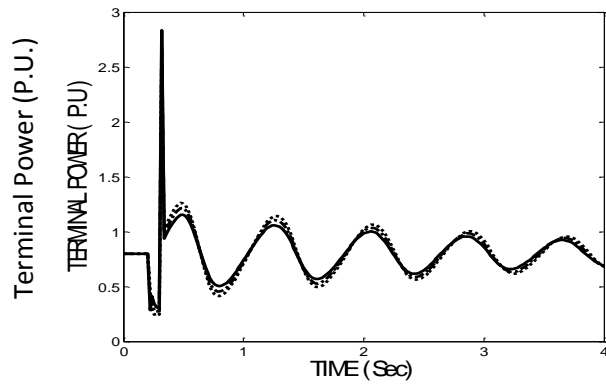


Fig.(7) System response to a 3-phase short circuit for 120 ms at lagging p.f. the system equipped with AVR and HSVC

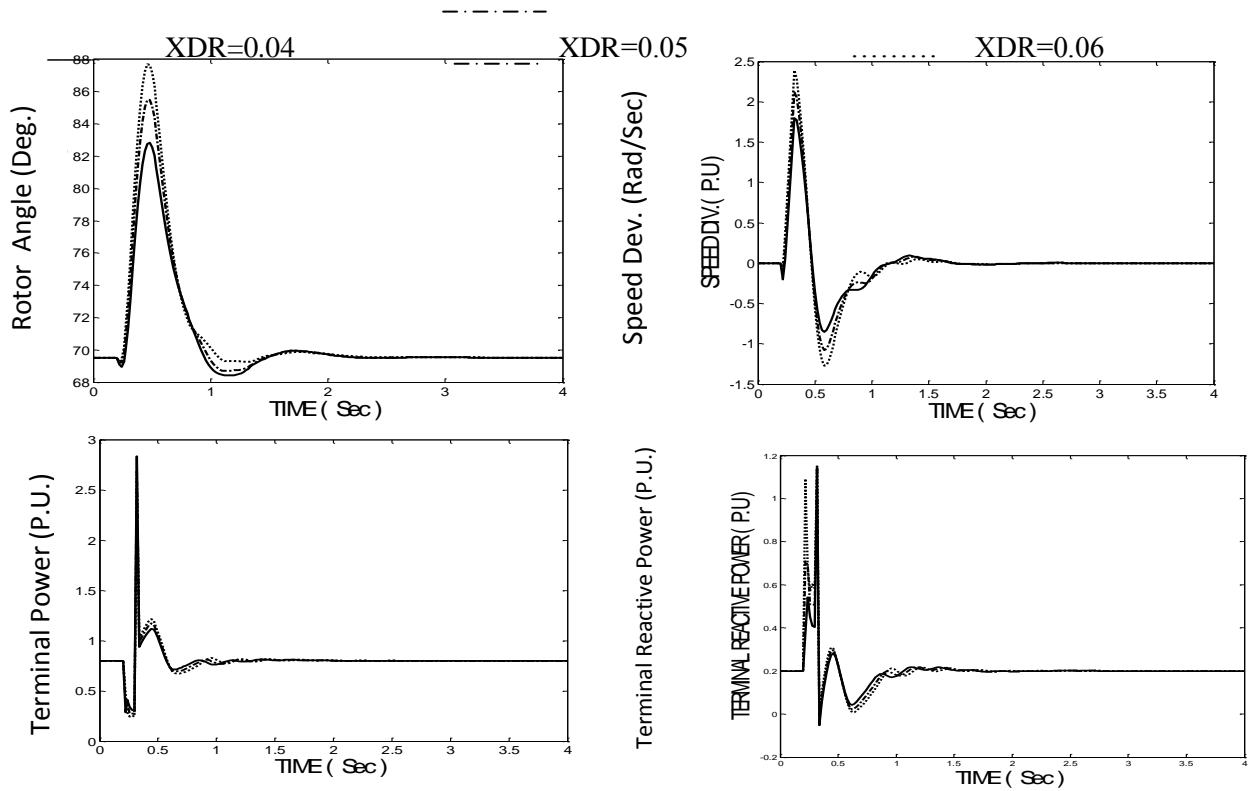


Fig.(8) System response to a 3-phase short circuit for 120 ms at lagging p.f. ($P_g=0.8$, $Q_g=0.2$), the system equipped with AVR, PSS and HSVC

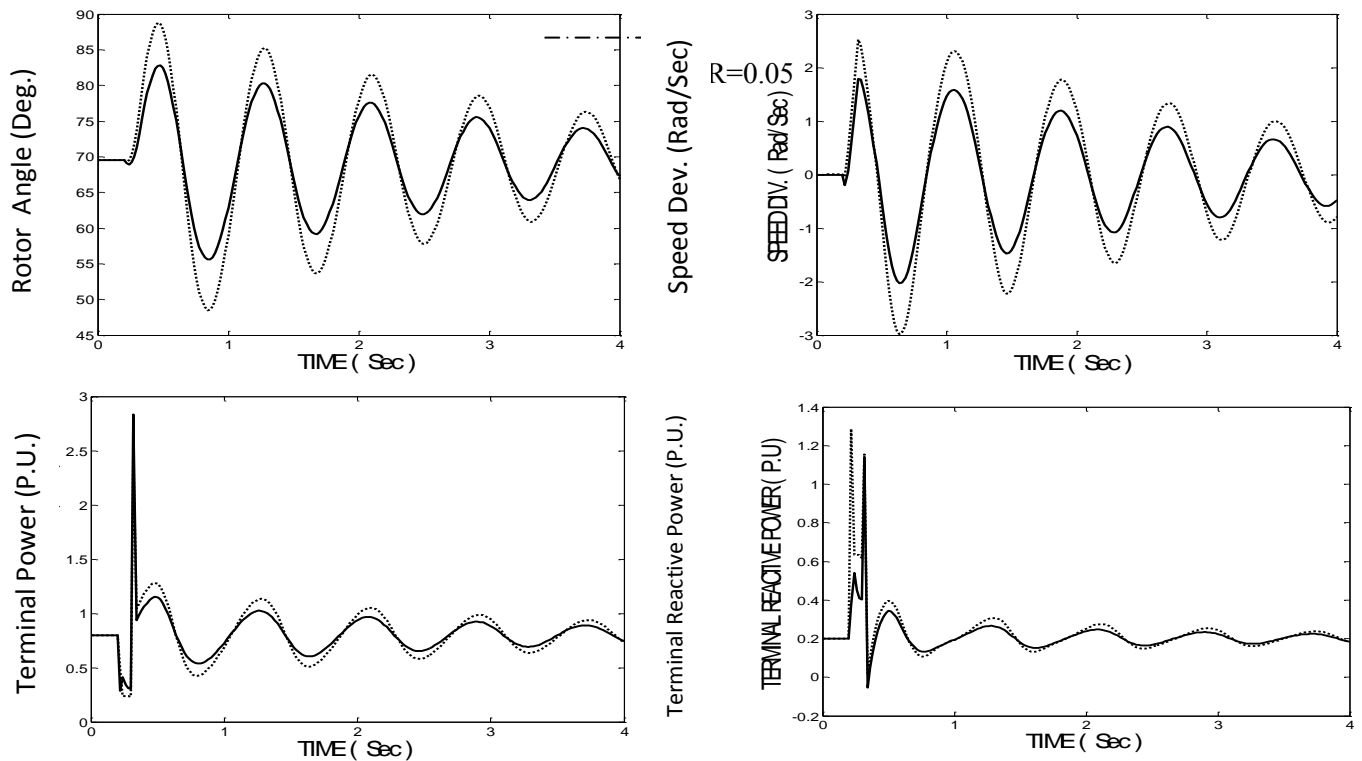


Fig. (9) System response to a 3-phase short circuit for 120 ms at lagging p.f. ($p_g=0.8, Q_g=0.2$)
 _____ HSVC
 +AVR AVR

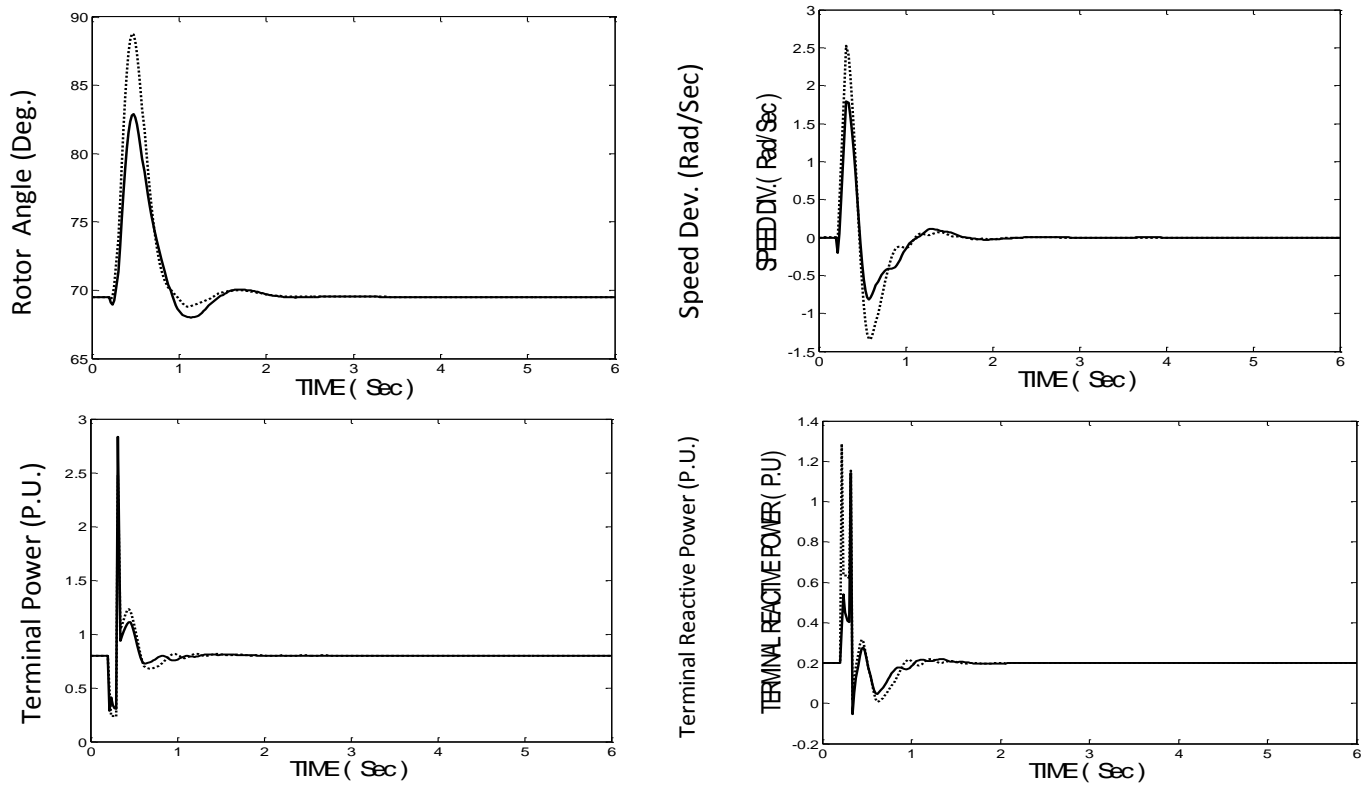


Fig. (10) System response to a 3-phase short circuit for 120 ms at lagging p.f. ($p_g=0.8, Q_g=0.2$)
 _____ HSVC + AVR + PSS
 AVR + PSS

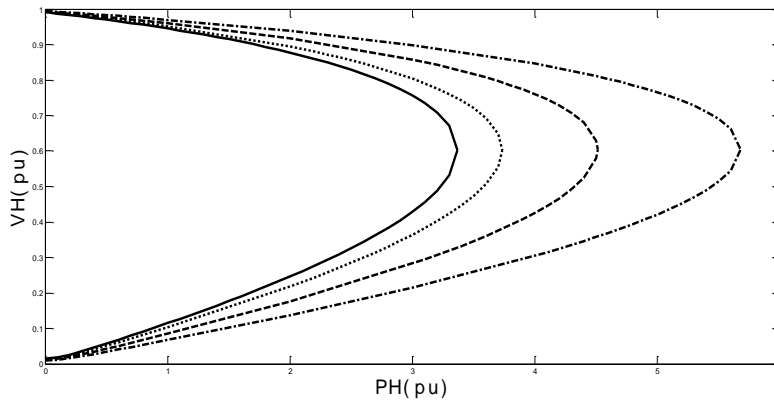


Fig. (11) The V-P CURVE at operating point $P_g=0.8, Q_g=0.2$

_____ BASIC CAS (AVR+PSS) AVR + PSS + HSVC (XDR=0.06)
 - . - . - . - AVR + PSS + HSVC (XDR=0.04) ----- AVR + PSS + HSVC (XDR=0.05)